## Chapter 10: Constructions <br> Exercise 10.1(MCQ)

## Question 1:

To divide a line segment $A B$ in the ratio 5: 7, first a ray $A X$ is drawn, so that $\angle B A X$ is an acute angle and then at equal distances points are marked on the ray $A X$ such that the minimum number of these points is
(a) 8
(b) 10
(c) 11
(d) 12

## Solution:

(d) We know that to divide a line segment $A B$ in the ratio $m$ : $n$, first draw a ray $A X$ which makes an acute angle $\angle B A X$, then marked $m+n$ points at equal distance.
Here,

$$
m=5, n=7
$$

So, minimum number of these points $=m+n=5+7=12$.

## Question 2:

To divide a line segment $A B$ in the ratio 4: 7, a ray $A X$ is drawn first such that $\angle B A X$ is an acute angle and then points $A_{1} A_{2}, A_{3}, \ldots$ are located at equal distances on the ray $A Y$ and the point $B$ is joined to
(a) $\mathrm{A}_{12}$
(b) $\mathrm{A}_{11}$
(c) $\mathrm{A}_{12}$
(d) $\mathrm{A}_{9}$

## Solution:

(b) Here, minimum $4+7=11$ points are located at equal distances on the ray $A X$, and then $B$ is joined to the last point is $A_{11}$

## Question 3:

To divide a line segment $A B$ in the ratio 5: 6, draw a ray $A Y$ such that $\angle B A X$ is an acute angle, then draw a ray $B Y$ parallel to $A Y$ and the points $A_{1}, A_{2}, A_{3}, \ldots$ and $B_{1}, B_{2}$, $B_{3}, \ldots$ are located to equal distances on ray $A Y$ and $B Y$, respectively. Then, the points joined are
(a) $A_{5}$ and $A_{6}$
(b) $\mathrm{A}_{6}$ and $\mathrm{B}_{5}$
(c) $\mathrm{A}_{4}$ and $\mathrm{B}_{5}$
(d) $A_{5}$ and $B_{4}$

## Solution:

(a) Given a line segment $A B$ and we have to divide it in the ratio 5:6.


## Steps of construction

1. Draw a ray $A X$ making an acute $\angle B A X$.
2. Draw a ray $B Y$ parallel to $A X$ by making $\angle A B Y$ equal to $\angle B A X$.
3. Now, locate the points $A_{1}, A_{2}, A_{3}, A_{4}$ and $A_{5}(m=5)$ on $A X$ and $B_{1}, B_{2}, B_{3}$, $B_{4}, B_{5}$ and $B_{6}(n=6)$ such that all the points are at equal distance from each other.
4. Join $B_{6} A_{5}$. Let it intersect $A B$ at a point $C$.

Then, $A C: B C=5: 6$

## Question 4:

To construct a triangle similar to a given $\triangle \mathrm{ABC}$ with its sides $\frac{3}{7}$ of the corresponding sides of $\triangle A B C$, first, draw a ray $B X$ such that $\angle C B X$ is an acute angle and $X$ lies on the opposite side of $A$ concerning $B C$. Then, locate points $B_{1}, B_{2}, B_{3}, \ldots$ on $B X$ at equal distances and the next step is to join
(a) $B_{10}$ to $C$
(b) $\mathrm{B}_{13}$ to C
(c) $\mathrm{B}_{7}$ to C
(d) $\mathrm{B}_{4}$ to C

## Solution:

(c) Here, we locate points $B_{1}, B_{2}, B_{3}, B_{4}, B_{5}, B_{6}$ and $B_{7}$ on $B X$ at equal distance and in the next step join the last points is $B_{7}$ to $C$.

## Question 5:

To construct a triangle similar to a given $\triangle \mathrm{ABC}$ with its sides $\frac{8}{5}$ of the corresponding sides of $\triangle A B C$ draw a ray $B X$ such that $\angle C B X$ is an acute angle and $X$ is on the opposite side of $A$ concerning $B C$. The minimum number of points to be located at equal distances on ray $B X$ is
(a) 5
(b) 8
(c)13
(d) 3

Solution:
(b) To construct a triangle similar to a given triangle, with its sides $\frac{m}{n}$ of the corresponding sides of the given triangle the minimum number of points to be located at an equal distance is equal to the greater of $m$ and $n$ is $\frac{8}{5}$
Hence, $\frac{m}{n}=\frac{8}{5}$
So, the minimum number of point to be located at an equal distance on ray BX is 8 .

## MCQ Questions for Class 10 Maths With Answers

## Question 6:

To draw a pair of tangents to a circle that are inclined to each other at an angle of $60^{\circ}$, it is required to draw tangents at endpoints of those two radii of the circle, the angle between them should be
(a) $135^{\circ}$
(b) $90^{\circ}$
(c) $60^{\circ}$
(d) $120^{\circ}$

## Solution:

(d) The angle between them should be $120^{\circ}$ because in that case the figure formed by the intersection point of pair of a tangent, the two endpoints of those-two radii tangents are drawn) and the centre of the circle is a quadrilateral.
From the figure it is quadrilateral,
$\angle \mathrm{POQ}+\angle \mathrm{PRQ}=180^{\circ}\left[\because\right.$ sum of opposite angles are $\left.180^{\circ}\right]$
$60^{\circ}+\theta=180^{\circ}$
$\theta=120$
Hence, the required angle between them is $120^{\circ}$.

